

Date:

Objective:

Section:

Sample Space: The set of all possible outcomes for a chance process.

Event/Subset: An outcome or set of outcomes from the sample space.

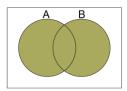
Complement (A^c) : "Not"

• All outcomes in the sample space that are not part of the event.

Chance Process	Sample Space	Event/Subset	Complement
Flip a coin	$S = \{\text{heads, tails}\}$	$B = \{\text{heads}\}$	$B^C = \{ \text{tails} \}$
Roll a die	$S = \{1, 2, 3, 4, 5, 6\}$	even numbers $E = \{2, 4, 6\}$	$E^{C} = \{1, 3, 5\}$
Pick a letter in the word "probability"	$S = \{P, R, O, B, A, I, L, T, Y\}$	vowels $V = \{O, A, I, Y\}$	$V^{C} = \{P, R, B, L, T\}$

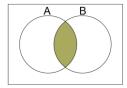
Union $(A \cup B)$: "Or", "Either"

• All of the elements that are in A or B or both.

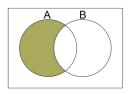


Intersection $(A \cap B)$: "And", "Both", "Overlap", "In common"

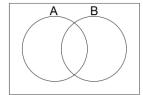
- All of the elements that are in *both A* and *B*.
- If the two sets don't have anything in common, the intersection is the "empty set", indicated by \emptyset or $\{\ \}$.



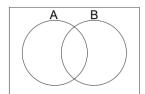
Note: If you want to write "everything in A that isn't in B," you can write either $A \cap B^C$ or A - B.



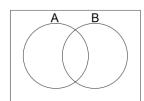
Examples: Shade the appropriate portion of the Venn diagram.



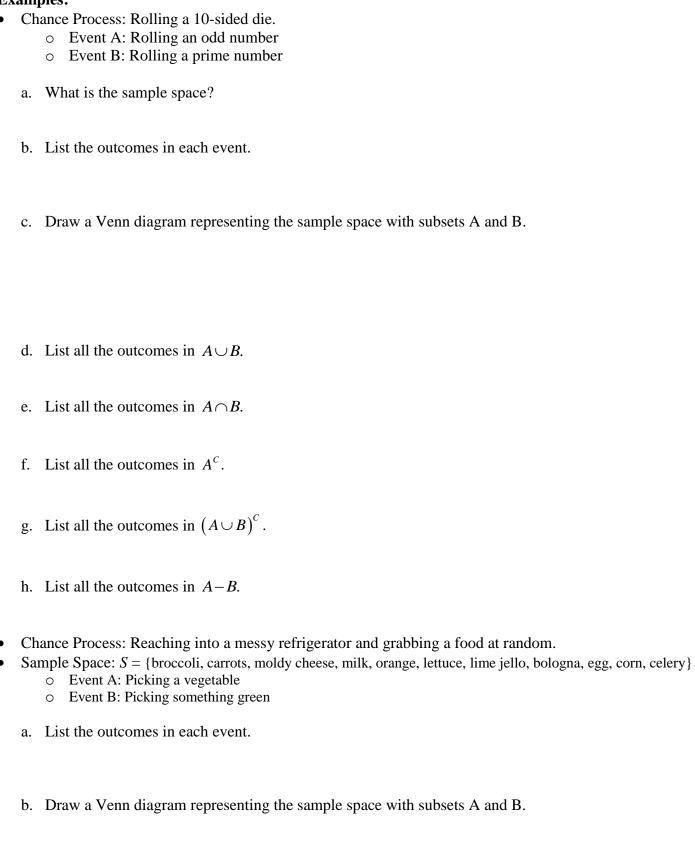
2.
$$(A \cap B)^C$$



3.
$$B-A$$



Examples:

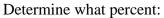


- c. List all the outcomes in $A \cup B$.
- d. List all the outcomes in $A \cap B$.
- e. List all the outcomes in B^{C} .
- f. List all the outcomes in $(A \cap B)^{C}$.
- g. List all the outcomes in B-A.

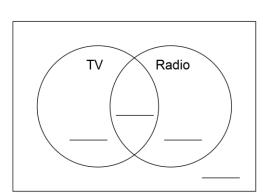
Examples:

A political ad was run on TV and on radio.

- 33% of people saw it on TV.
- 21% heard it on the radio.
- 10% of people both saw it on TV and heard it on the radio.



- a) only saw it
- b) only heard it
- c) neither heard it or saw it
- d) did not see it



A sample of 60 people are asked if they enjoy watching basketball and if they enjoy watching football.

- 25 people say they enjoy watching football
- 40 people say they enjoy watching basketball
- 15 people say they enjoy watching both

Determine how many people:

- a) enjoy football but not basketball
- b) enjoy basketball but not football
- c) don't enjoy either basketball or football
- d) don't like football

