

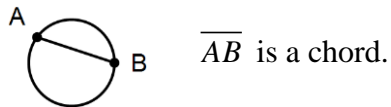
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Section:12.1

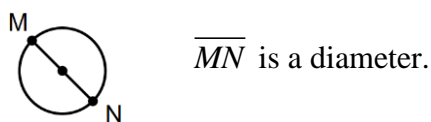
Objective: Circle Vocabulary, arc and angle measures notes

**Circle:** All points in a plane that are the same distance from a given point, called the *center* of the circle.

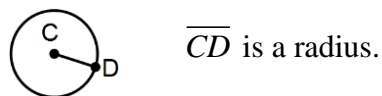
**Chord:** A segment with both endpoints on a circle.



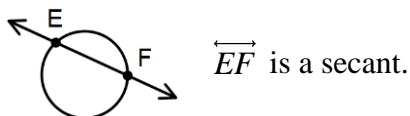
**Diameter:** A chord that passes through the center of a circle.



**Radius:** A segment with one endpoint on the circle and one endpoint at the center of the circle.

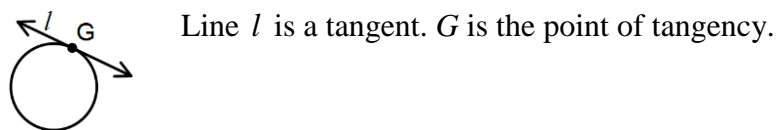


**Secant:** A line that intersects a circle at two points.

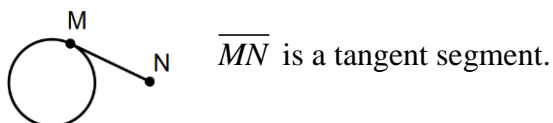


**Tangent:** A line in the plane of the circle that intersects a circle at exactly one point.

**Point of Tangency:** The point where a tangent intersects a circle.

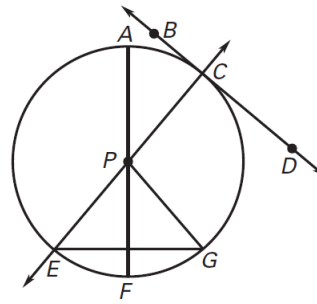


**Tangent Segment:** A segment that touches a circle at one of its endpoints and lies in the line that is tangent to the circle at that point.



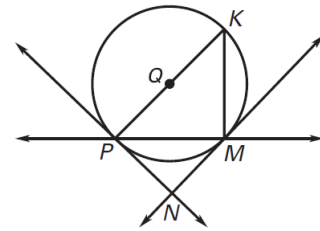
**Example:** In circle  $P$ , name the term that best describes the given line, segment, or point.

- |                 |                           |
|-----------------|---------------------------|
| $\overline{AF}$ | $C$                       |
| $\overline{EG}$ | $\overleftrightarrow{CE}$ |
| $\overline{PF}$ | $\overleftrightarrow{BD}$ |
| $\overline{PG}$ | $P$                       |



**Example:** In  $\odot Q$ , identify a chord, a diameter, two radii, a secant, two tangents, and two points of tangency.

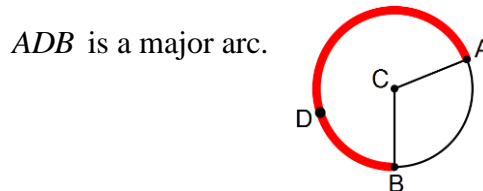
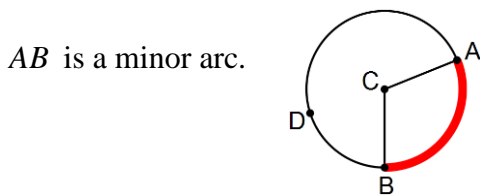
- |           |                     |
|-----------|---------------------|
| Chord:    | Diameter:           |
| Radii:    | Secant:             |
| Tangents: | Points of tangency: |



**Central Angle:** An angle in a circle whose vertex is the center of the circle and whose sides are radii of the circle

**Minor Arc:** All the points on a circle that lie in the interior of a central angle whose measure is less than  $180^\circ$ .

**Major Arc:** All the points on a circle that do not lie on the corresponding minor arc.

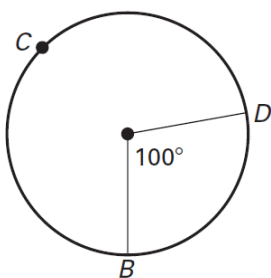


**Measure of a Central Angle:** is the measure of the

**Measure of a Minor Arc:** is the measure of its central angle.

**Measure of a Major Arc:**  $360^\circ$  minus the measure of the minor arc.

**Example:**



Measure of central angle: \_\_\_\_\_

Name the central angle: \_\_\_\_\_

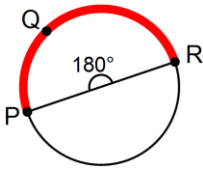
Measure of the minor arc: \_\_\_\_\_

Name the minor arc: \_\_\_\_\_

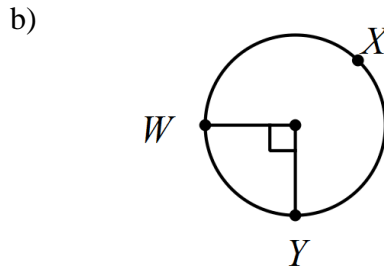
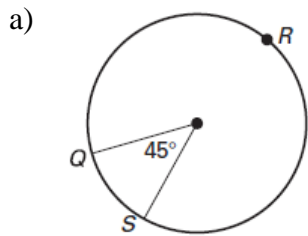
Measure of the major arc: \_\_\_\_\_

Name the major arc: \_\_\_\_\_

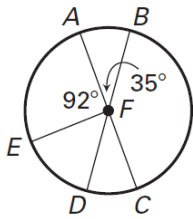
**Semicircle:** An arc whose central angle measures  $180^\circ$ .



**Examples:** Name the major and minor arcs and the central angle. Find the measure of each.



**Examples:**  $\overline{AC}$  and  $\overline{BD}$  are diameters. Find the indicated measures.



a)  $mDC$

d)  $mDE$

b)  $mBC$

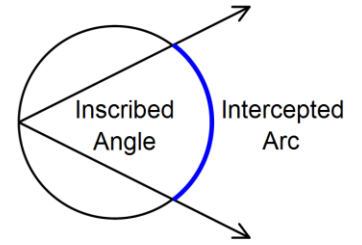
e)  $mABE$

c)  $mCDE$

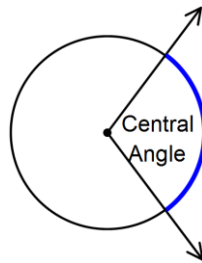
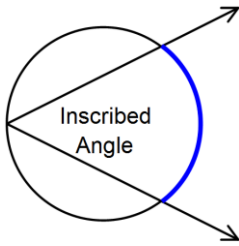
f)  $mABD$

**Inscribed Angle:** An angle whose vertex is on a circle and whose sides contain chords of the circle.

**Intercepted Arc:** An arc that lies in the interior of an inscribed angle and has endpoints on the sides of the angle.

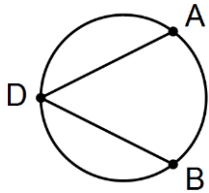


**WARNING:** Don't get *inscribed* angles and *central* angles mixed up!



**Theorem:** If an angle is inscribed in a circle, then its measure is half the measure of its intercepted arc.

**Example:**

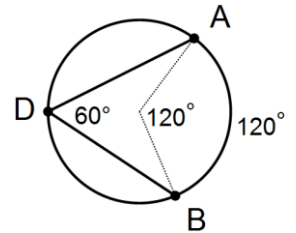


$$m\angle ADB = \frac{1}{2}mAB$$

$$mAB = 2m\angle ADB$$

$$m\angle ADB = 60^\circ$$

$$mAB = 120^\circ$$



**Examples:** Find the measure of the inscribed angle or the intercepted arc.

